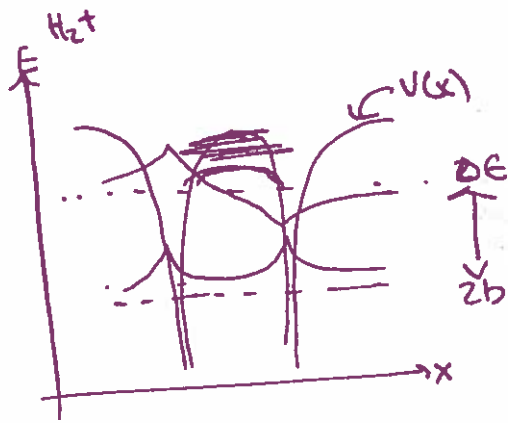
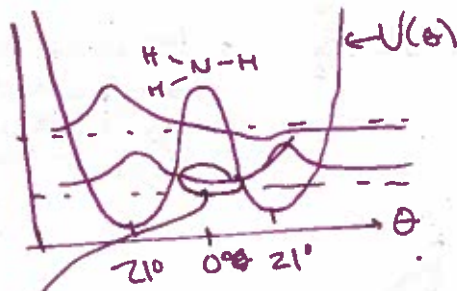


# Tunneling in Chemistry



ex: ammonia =  $\text{NH}_3$



Not very different from the ordinary potential well

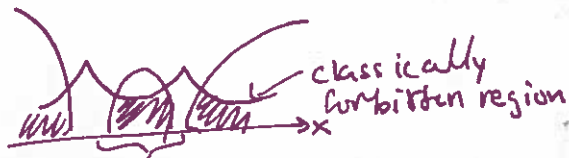
tunneling

Ammonia = a Schrödinger cat molecule

In the lowest state, the Hs in ammonia simultaneously point up and down



Bonding occurs b.c. the e<sup>-</sup> has a high probability in the classically forbidden region



e<sup>-</sup> between nuclei  
 where  $k = E - V < 0 \Rightarrow$  p is imaginary  
 so  $\frac{p^2}{2m} < 0!$

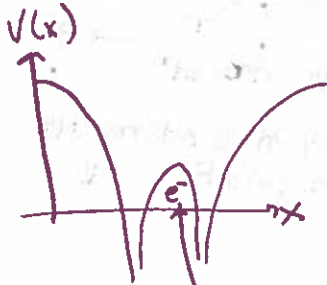
However  $\langle \psi | \hat{T}^2 | \psi \rangle$   
 $= \int dx \psi^* \left( -\frac{\hbar^2}{2m} \frac{\partial^2}{\partial x^2} \right) \psi + \langle V \rangle$   
 $> 0$  always  
 why

# Fourier principles:

$$\Delta x \Delta p = \frac{h}{2}$$

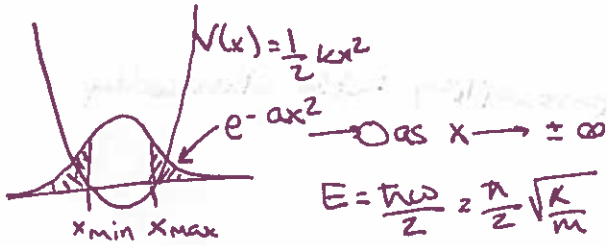
$$\Delta u \Delta t = \frac{1}{2}$$

$\Delta E \Delta t = \frac{h}{2}$  → for a very short instant energy conservation can be violated when the  $e^-$  is under the barrier



under the barrier, called an "instanton"

## SPRINGS



$$E = \frac{h\nu}{2} = \frac{h}{2} \sqrt{\frac{k}{m}}$$

HWK:  $P_{\text{forbidden}} = 2 \cdot \int_{x_{\text{min}}}^{\infty} \psi_0^*(x) \psi_0(x) dx$

