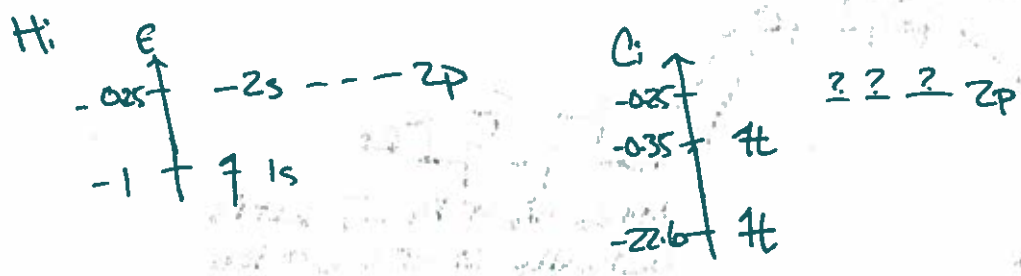
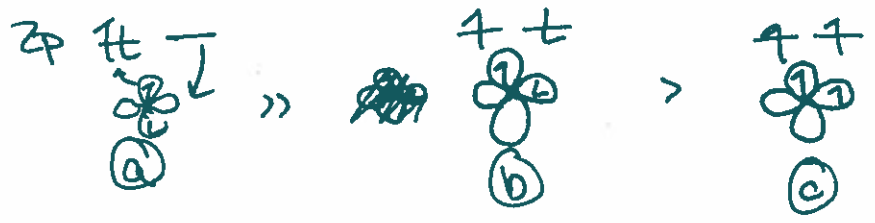


Hund's Rules



Hund's rules



(b) has lower $e^- - e^-$ repulsion \rightarrow lower $\langle \frac{1}{r_{12}} \rangle$ than (a)
 (c) lower $e^- - e^-$ repulsion than (b) ... why?

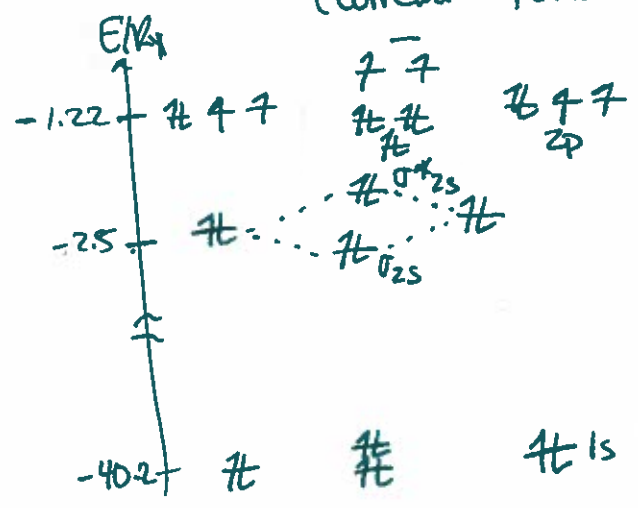
\hookrightarrow Pauli exclusion
 $\psi(c) \rightarrow 0$ faster than
 $\psi(b)$ when $r_{12} \rightarrow 0$

Thus the e^- shield each other less $\rightarrow Z_{eff}$ is larger and the smaller orbitals are lower in e^-



purely a multi- e^- (correlation) effect

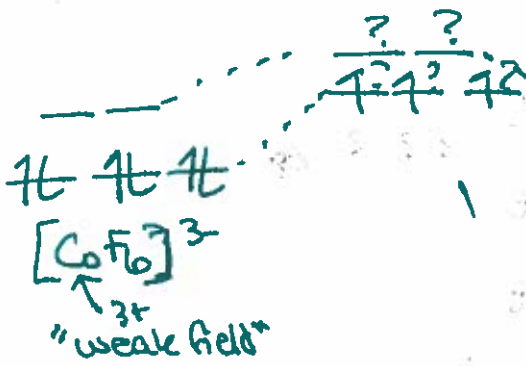
$$\psi = |s^2 2s^2 2p_x^2 2p_y^2 2p_z^2\rangle$$



$s=1, M_s = 0, \pm 1$
 $3 \uparrow \downarrow$
 ground state

$$M_L = M_{L1} + M_{L2} = \pm 1 \pm 1 = 0 \text{ (lowest E)}$$

E ↑



$[CoF_6]^{3-}$
 \uparrow
 "weak field"



looks higher in e^- , but is actually lower due to less $e^- - e^-$ repulsion



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