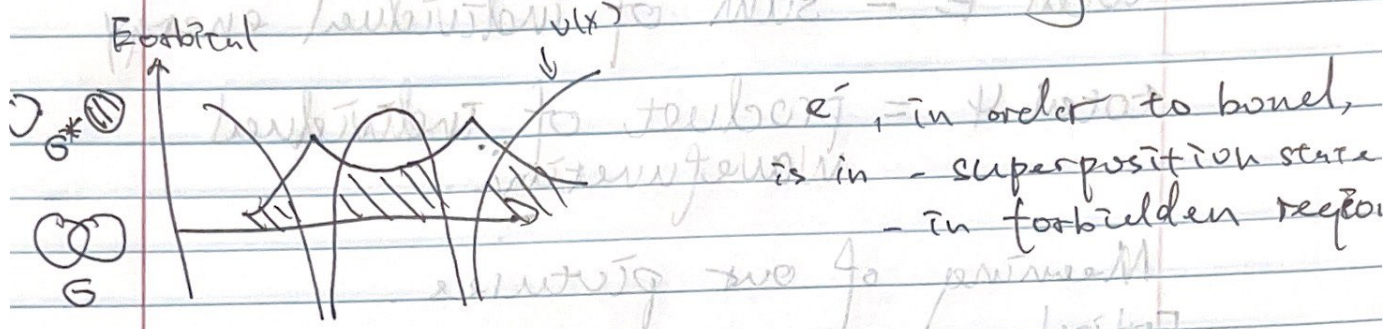
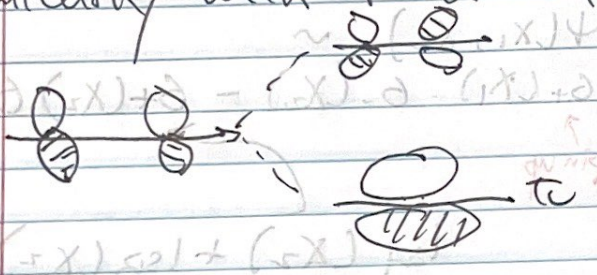


Last Time: bond and antibonding



similarly with p orbital



σ bonds are weaker than π bonds between them. They are not quite putting the e^- between the molecules.

Today: multi- e^- molecules

Let's talk about 2 electrons, which counts the general principle

Let $e^- \# 1$ satisfy $H_1 \psi_1(x_1) = E_1 \psi_1(x_1)$, and $e^- \# 2$ satisfy $H_2 \psi_2(x_2) = E_2 \psi_2(x_2)$. If the e^- do not interact strongly.

What does $\psi_{total} = \psi(x_1, x_2)$ look like? From

A: By energy conservation $E_{total} = E_1 + E_2$

A: Try $\psi_{total} = \psi_1(x_1) \cdot \psi_2(x_2)$.

$$\begin{aligned}
 H\psi &= H\psi_1(x_1) \psi_2(x_2) \\
 &= H_1 \psi_1(x_1) \psi_2(x_2) + H_2 \psi_1(x_1) \psi_2(x_2) \\
 &= (E_1 + E_2) \psi_1(x_1) \psi_2(x_2)
 \end{aligned}$$

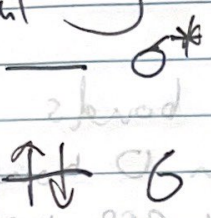
constant

total $E =$ sum of individual energy

total $\Psi =$ product of individual wavefunction.

Meaning of our pictures.

Orbital



$$\Psi(x_1, x_2) \sim$$

$$\sigma_+(x_1) \cdot \sigma_-(x_2) - \sigma_+(x_2) \sigma_-(x_1)$$

spin up

$$1s_A(x_2) + 1s_B(x_2)$$

$$\sim e^{-|x_2|/a_0}$$

Note: need to make sure the wavefunction is antisymmetric

$$\Psi(x_1, x_2) = -\Psi(x_2, x_1)$$

Hartree-Fock wavefunction.